



Real-time Approximation of Photometric Polygonal Lights

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Introduction



ZUMTOBEL

<https://mobilevr.zumtobel.com/>

Photometric measurement data is used to simulate real-world luminaires for Lighting Design & Architecture

Interactivity is important in these workflows

Real-time rendering system provide a huge benefit, but shading of photometric area lights is currently limited

Our technique provides a suitable real-time approximation for these application

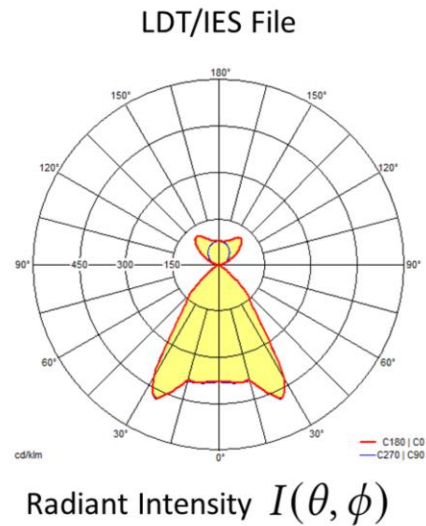
Photometric Lights



MIREL Evo



Goniophotometer



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Far-field photometry: Absolute emission of luminaire represented by spherical radiant intensity function

- > simplification of entire luminaire to point with spherical radiant intensity profile (Anisotropic Point Light)
- > actually does not allow to simulate the true illumination in near-field

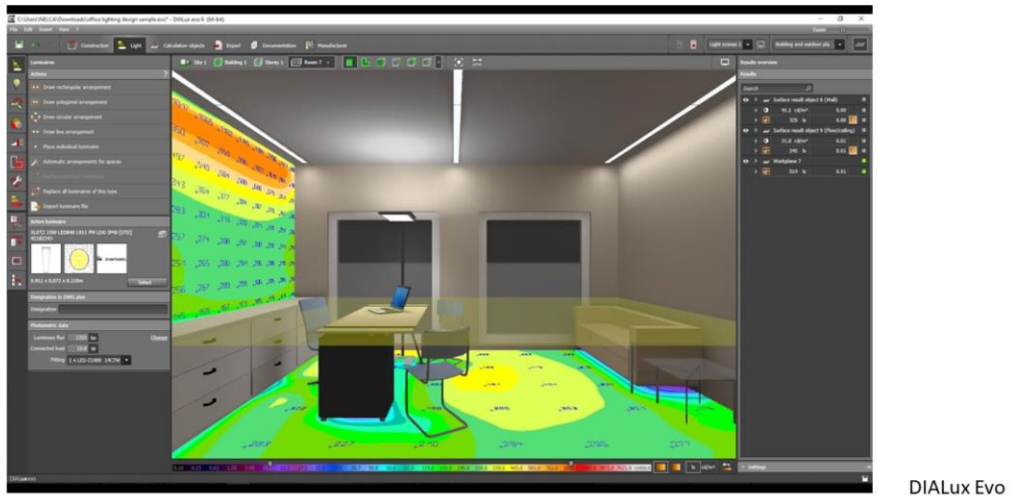
Nevertheless, it is common to model the light emission as area:

- > valuable depiction of luminaire shape & characteristics in near-field illumination
- > smoothens details of radiant intensity functions in near-field
- > avoid singularity

Photometric Report (LDT or IES) also contains meta information such as:

- Body Shape & Dimension
- Luminous Area Shape & Dimension

Lighting Design



Luminaire model: Dummy Geometry or CAD Model + Light Emitting Objects (Disk or Polygon) linked with Radiant Intensity Profile of a photometric measurement (LDT or IES)

Lighting design tools typically use offline rendering kernels – no difficulty in calculating illumination from area with arbitrary emission

Limitation of interactivity:

- Wait for Render after Interaction
- Separation of CAD viewport without lighting and realistic/calculation render view
- Unlike game engine editors with What-You-See-Is-What-You-Get

Dialux:

- Manual toggle to real-time point representation
- Manual re-calculation after scene modifications

Real-time Rendering



Luksch et al., *Fast Light-Map Computation with Virtual Polygon Lights*, I3D 2013

HILITE

HILITE: Lighting design prototype using a real-time rendering system with baked global illumination
-> real-time point representation during interaction / blending to baked solution after interaction

Motivation

- Enable real-time applications with photometric lights
- Depiction of luminaire characteristic and shape in near-field
- Polygonal emission sufficient for most cases



Point Representation



Our Approximation



Reference Solution

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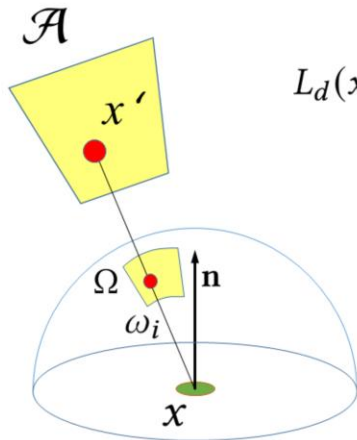
Goal: Minimal difference to offline rendering solution – plausible intensity

Mostly Linear & Rectangular lights -> polygonal emission sufficient for most cases

Accumulation buffer + de-noising is not always practical and not easy to integrate -> closed form solution

Smoothed illumination in near-field should make an approximation possible

Photometric Light Rendering Equation



$$L_d(x) = \frac{\rho}{A \pi} \int_{\mathcal{A}} I(-\omega_i) \frac{(\omega_i \cdot n_x)}{\|x' - x\|^2} dx'$$

1. No Visibility
2. Diffuse BRDF
3. Hemisphere Integral

$$L_e(\omega) = \frac{I(\omega)}{A (\omega \cdot n_A)}$$

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Normalization by area of polygon as intensity profiles gives absolute radiant intensity of entire luminaire

Simplification to allow approximation:

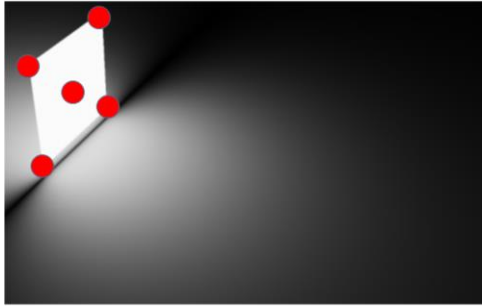
- Diffuse BRDF
- No visibility term

-> Reformulate as Hemisphere Integral to remove d^2 and increase effectiveness of approximation

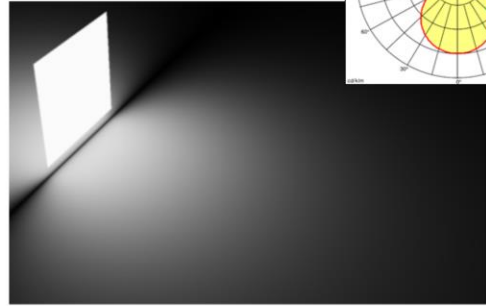
Radiant Intensity reformulated to Radiance

NOTE: Division by „ ω dot n “ does not allow to calculate shading within area light plane -> see paper how we avoid artifacts

Structured Sampling

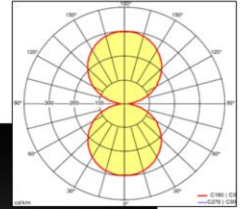


Corners + Center



Reference

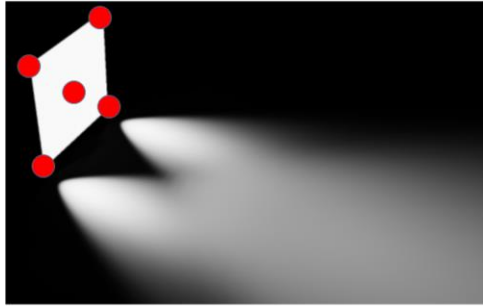
Diffuse



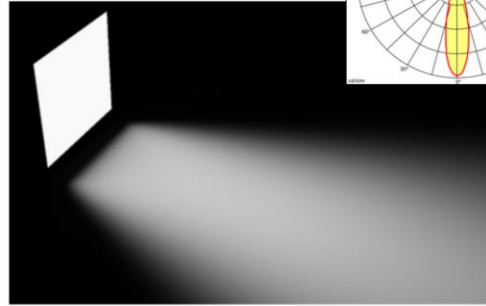
Sébastien Lagarde and Charles de Rousiers, *Moving Frostbite to Physically Based Rendering 3.0*, SIGGRAPH 2014 Course

Very good approximation in case of diffuse emission

Structured Sampling

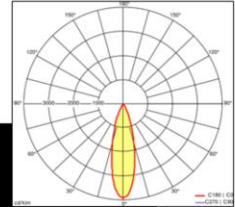


Corners + Center



Reference

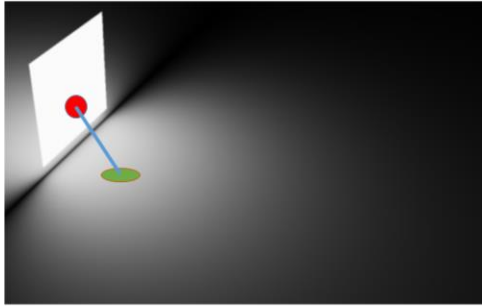
ARCOS



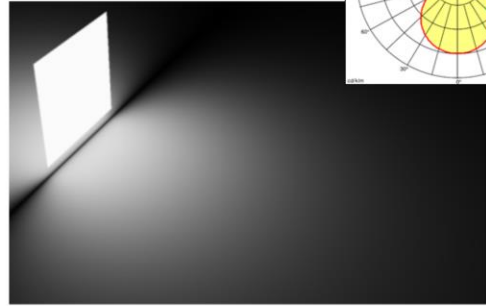
Sébastien Lagarde and Charles de Rousiers, *Moving Frostbite to Physically Based Rendering 3.0*, SIGGRAPH 2014 Course

Photometric Emission: Solution not acceptable in near-field, sampling pattern visible
-> improved illumination at medium distance compare to single point

Most Representative Point

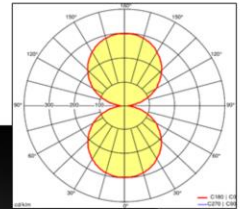


Most Representative Point



Reference

Diffuse

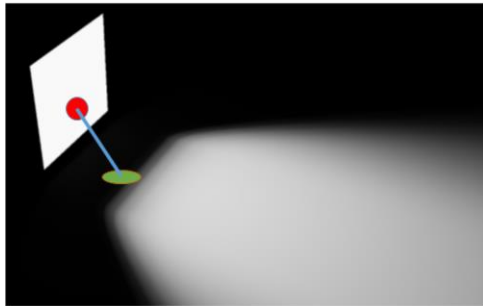


Michal Drobot, *Physically Based Area Lights*, GPU Pro 5, 2014

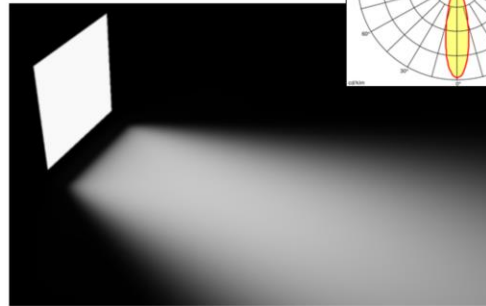
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Use spatial heuristics based on light orientation and point to shader to find single point for best approximation -> very good for diffuse lights

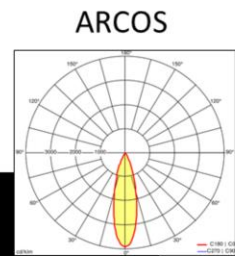
Most Representative Point



Most Representative Point



Reference



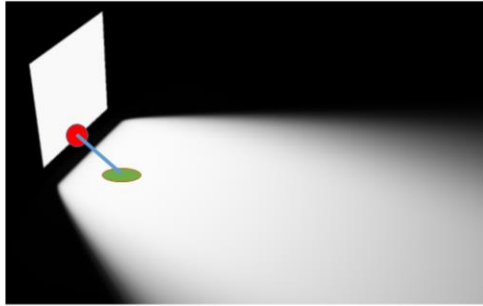
Michal Drobot, *Physically Based Area Lights*, GPU Pro 5, 2014

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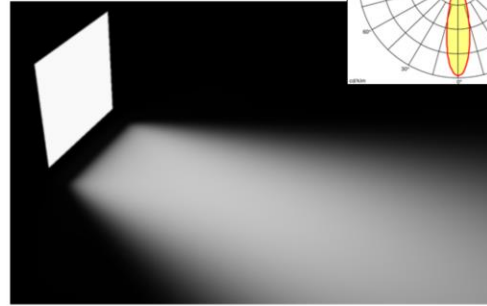
MRP provide sampling pattern-free approximation, but does not cover the integration domain sufficiently

Illumination will always have an offset in the near-field

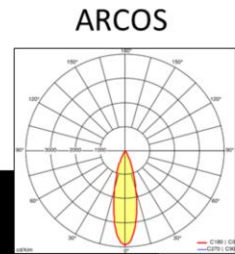
Most Representative Point



Closest



Reference



Michal Drobot, *Physically Based Area Lights*, GPU Pro 5, 2014

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Closest point: well defined outline, but intensity too high

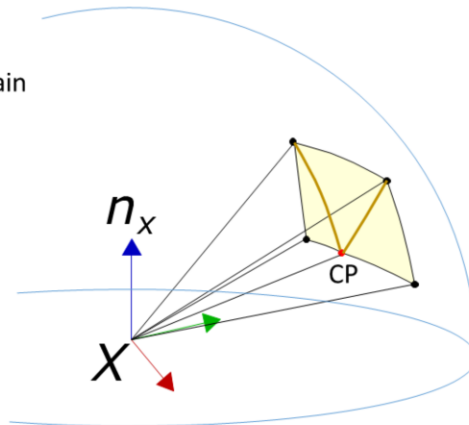
-> Combine fixed well-selected samples with a dynamic sample point, we chose the closest point

Combined Sampling Strategy

- Corners - fixed
 - full coverage of the integration domain
- Closest Point - dynamic
 - most important for shape

How to integrate? Sample weights?

→ Cubature based on triangulation



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Starting with Polygon projected to hemisphere

Clip Polygon area below horizon

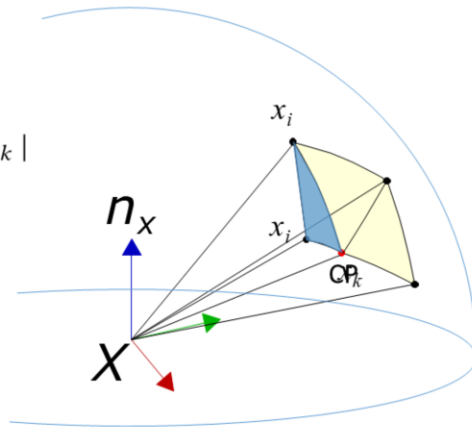
Combined fixed and dynamic samples: PDF no longer uniform -> cubature based on triangulation

Any triangulation can be used, ideally Delaunay triangulation -> we use triangle fan around closest point

Cubature based on triangulation

$$Q_N = \sum_{\Delta_{ijk} \in D} \frac{f(x_i) + f(x_j) + f(x_k)}{3} |\Delta_{ijk}|$$

$|\Delta_{ijk}| = \text{solid angle}$



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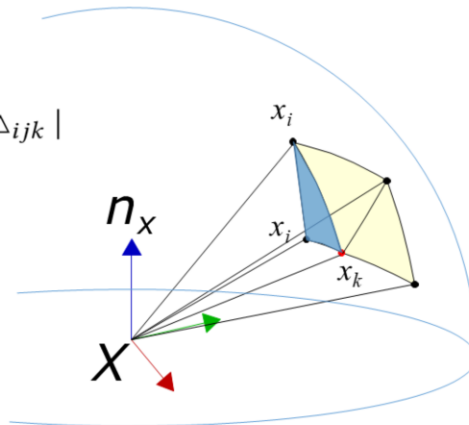
Weighed sum of all triangles average function value
weight = solid angle

Cubature based on triangulation

$$L_d(x) = \frac{\rho}{\pi} \sum_{\Delta_{ijk} \in D} \frac{L_i G_i + L_j G_j + L_k G_k}{3} |\Delta_{ijk}|$$

$$L_i = L_e(\omega_i)$$

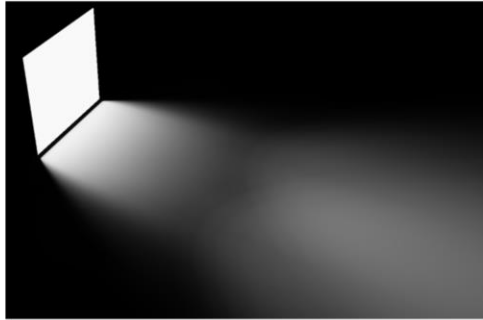
$$G_i = \mathbf{n}_x \cdot \omega_i$$



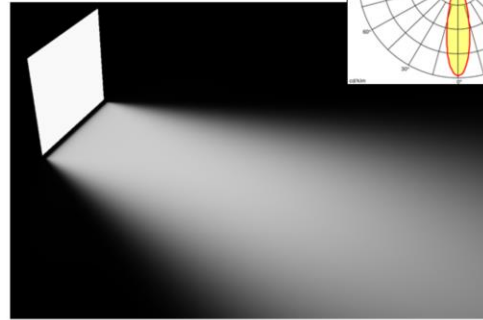
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Issue: sample at horizon plane x where „ $\mathbf{n} \cdot \omega = 0$ “ would not contribute to approximation, but also results in uneven radiance weights close above

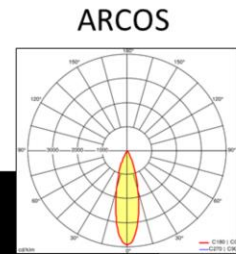
Cubature based on triangulation



Cubature



Reference



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Issue: sample at horizon plane \mathbf{x} where „ $\mathbf{n} \cdot \boldsymbol{\omega} = 0$ “ would not contribute to approximation, but also results in uneven radiance weights close above

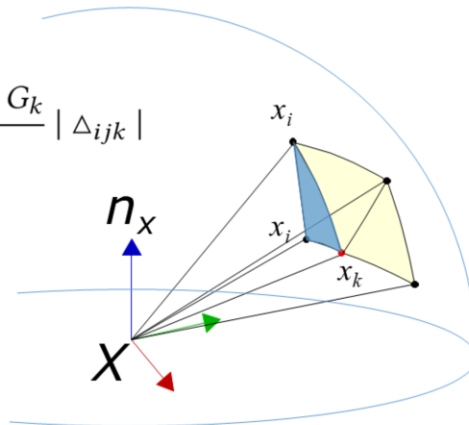
NOTE: Polygon moved even closer to ground plane to emphasize this effect

Cubature based on triangulation

$$L_d(x) = \frac{\rho}{\pi} \sum_{\Delta_{ijk} \in D} \frac{L_i + L_j + L_k}{3} \frac{G_i + G_j + G_k}{3} |\Delta_{ijk}|$$

$$L_i = L_e(\omega_i)$$

$$G_i = \mathbf{n}_x \cdot \omega_i$$



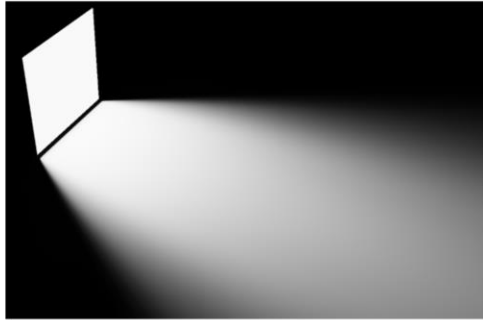
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Modified cubature to include samples on horizon plane of shading point

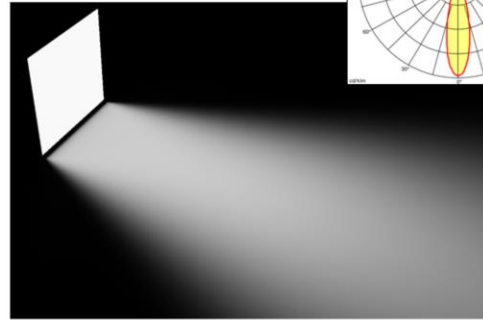
This is the final shading calculation

First step in setup: In case the polygon intersects with the horizon plane -> clip to visible part

Cubature based on triangulation

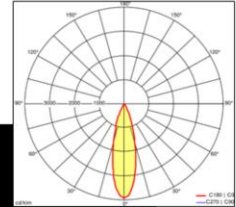


Cubature



Reference

ARCOS



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Much better

Intensity a bit too high and outline too wide, but no visual artifacts and totally plausible

Shows that we can handle one of the most challenging data sets (strongly directed) acceptable

Demo



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Plausible approximation

Robust when light intersects with the shading plane

Sometimes pattern visible in near-field, but are not disturbing

Works in a various real lighting design scenarios where emitting polygon is modeled together with luminaire geometry

Seamless tweak to resolve singularity in mathematical formulation

Performance

Method	NV RTX 2080 Ti		<ul style="list-style-type: none">• No Visibility Test• No Tone Mapping
	1080p	2160p	
Cubature	0.41 ms	1.70 ms	
Point	0.11 ms	0.40 ms	
MC 8	0.33 ms	1.41 ms	
MC 8 + DN 2x16	0.94 ms	3.02 ms	

MC: Urena et al., *An Area-Preserving Parametrization for Spherical Rectangles*, CGF 2013

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Baseline given by fixed single point representation

Our approximation possible at reasonable overhead

Visibility testing and other effects typically make most of the frame time in real-time systems

Conclusion

- Lighting Design using a real-time rendering system
- Evaluation on large data set
- Easy to integrate
- Specular extension → See Paper!



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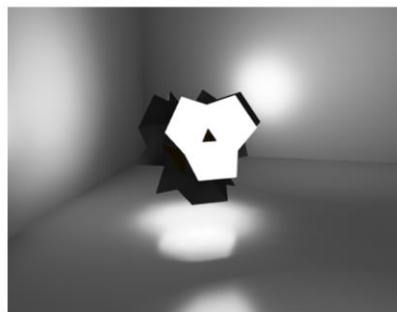
Our approximation enables real-time rendering system to be used for lighting design

No discontinuities

Robust in any constellation

Easy to integrate in a rendering pipeline

See paper for a specular shading extension based on the Linearly Transformed Cosines technique. (Heitz et al. 2016)



Thank you for your attention!



Demo & Supplemental Material: rtappl.vrvis.at